

Global Estimates of 3D Effects and the Sensitivity of GCMs to Subgrid-Scale Cloud Structure

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- a global estimate of 3D RT effects
 - 2D MMF data + SW and LW MC algorithms
- RT and climate modelling
 - how advanced are we?
 - prospects for 3D RT
 - examples of McICA noise impacts

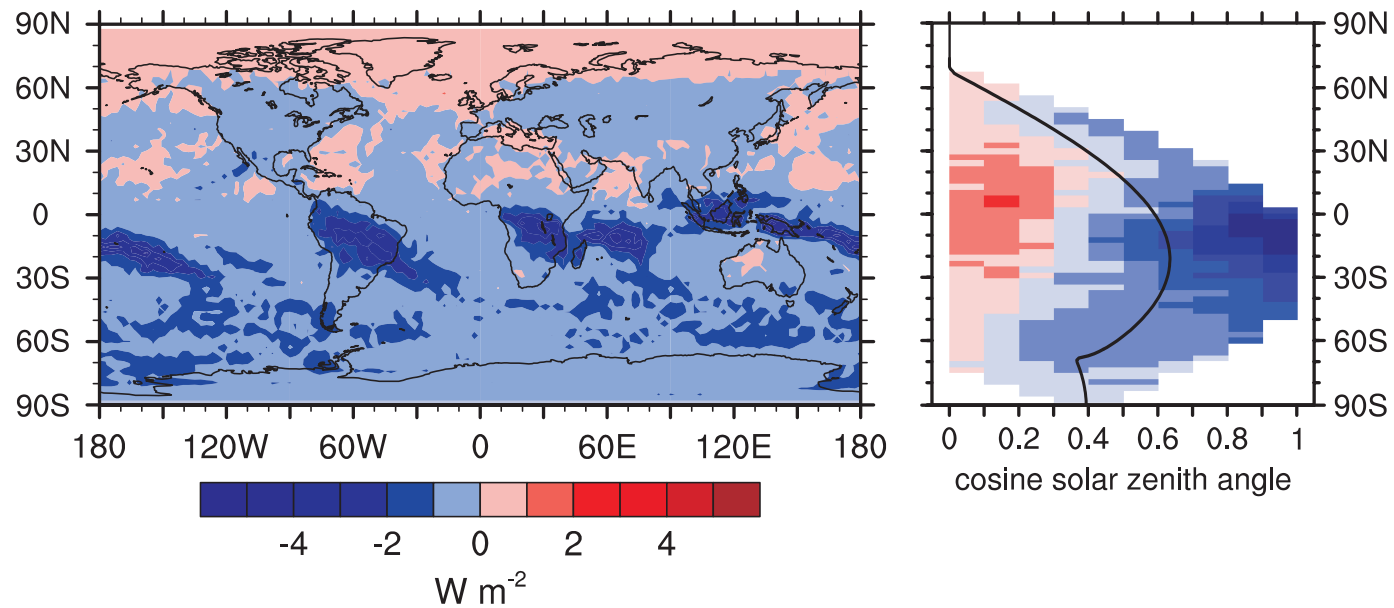


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Environment Canada*

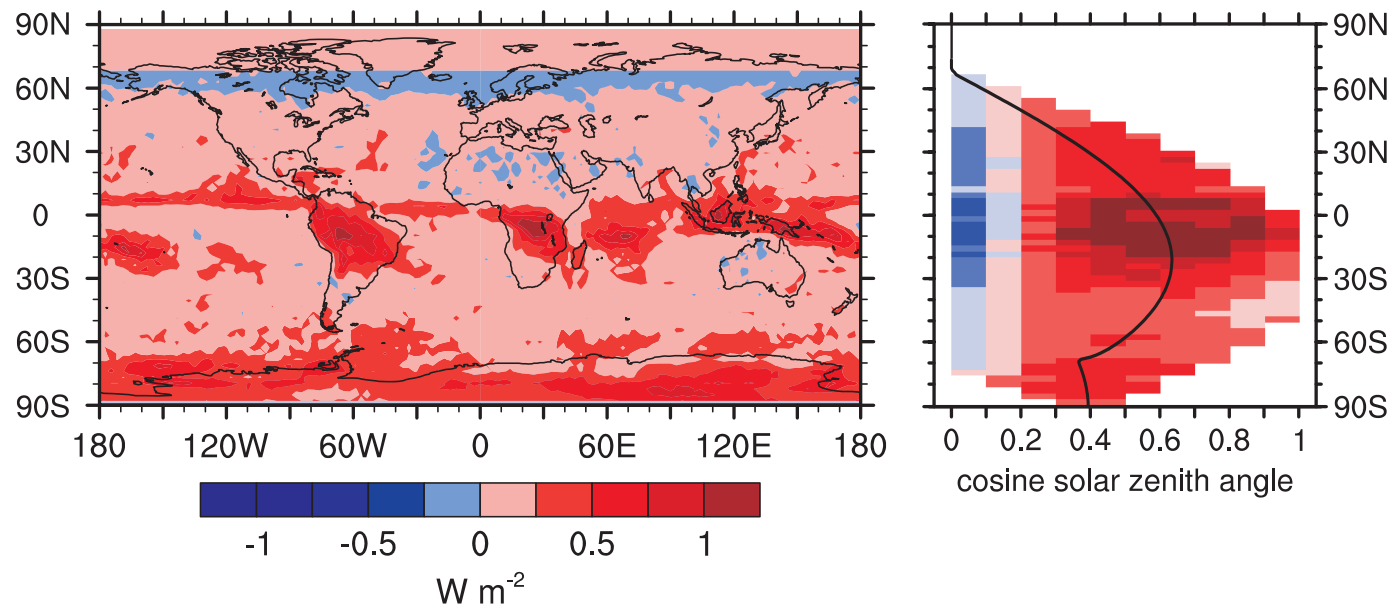
A global estimate of 3D RT effects

- Cole, Barker, O'Hirok, Clothiaux, Khairoutdinov, and Randall, 2005: Atmospheric Radiative Transfer Through Global Arrays of 2D Clouds. In press: *Geophys. Res. Lett.*
- MMF-GCM:
 - 2D CSRM in each GCM column
 - $x = 4$ km
 - every 9 hrs for Dec. 2000
 - 3D MC for SW and LW:
 - Sun incident parallel to CSRM fields
 - domain average profiles: 10^6 photons/field

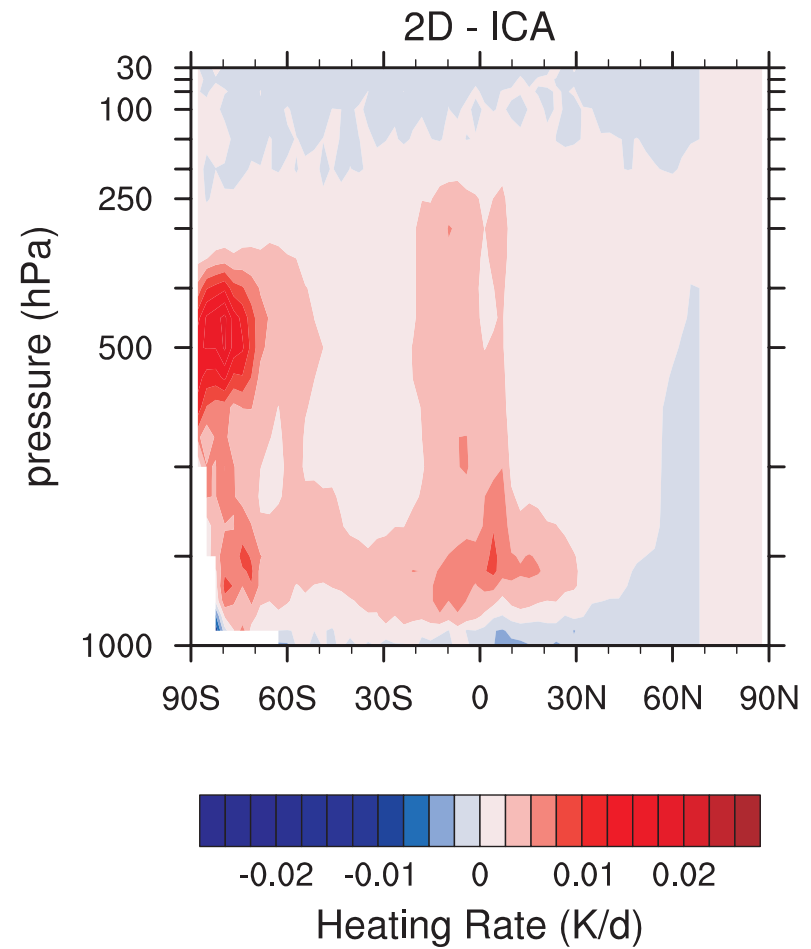
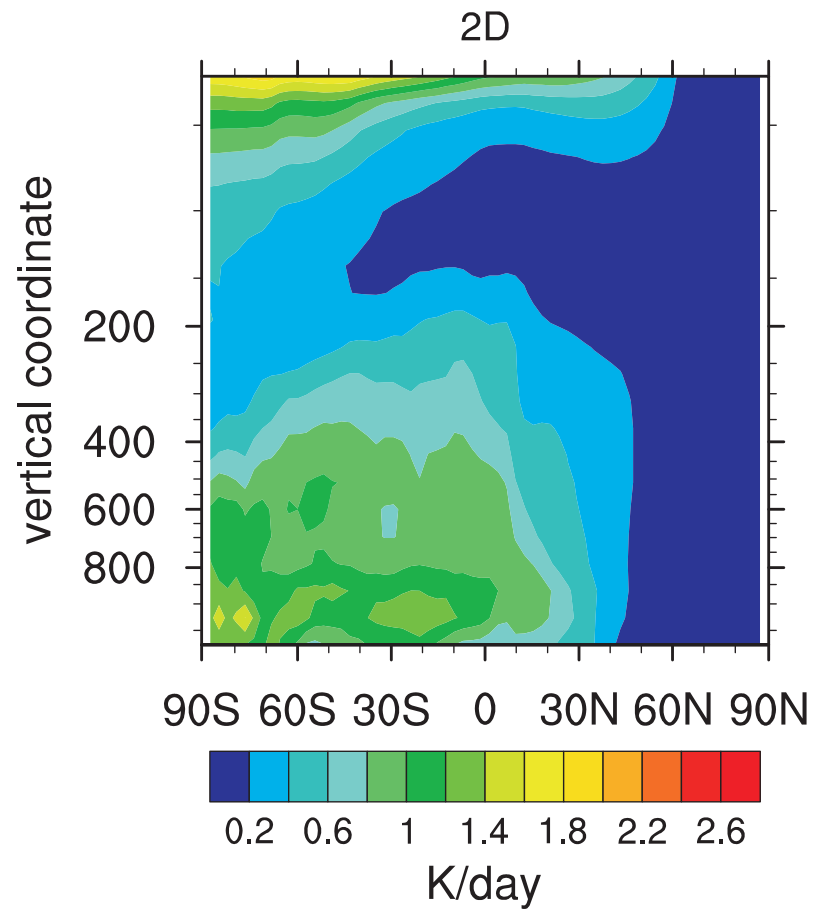
Upward SW flux at TOA (2D-ICA)

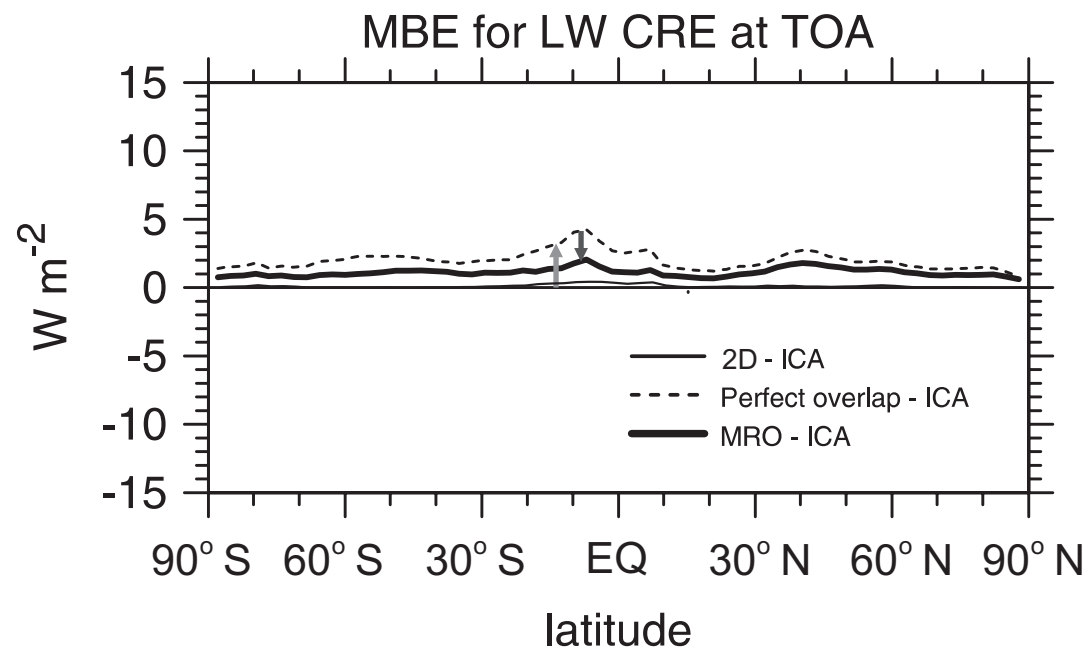
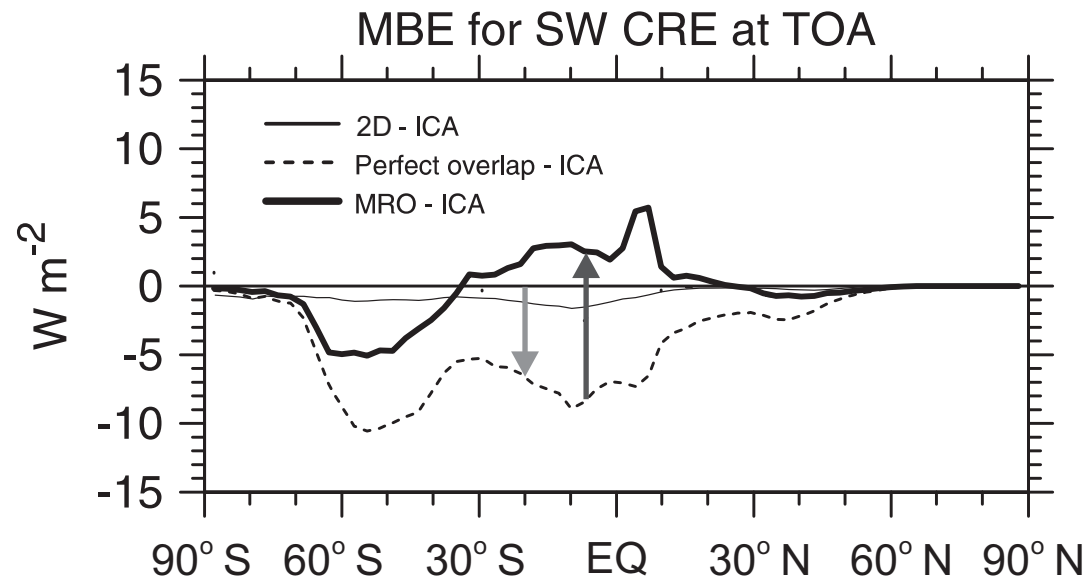


SW flux absorbed in atmosphere (2D-ICA)

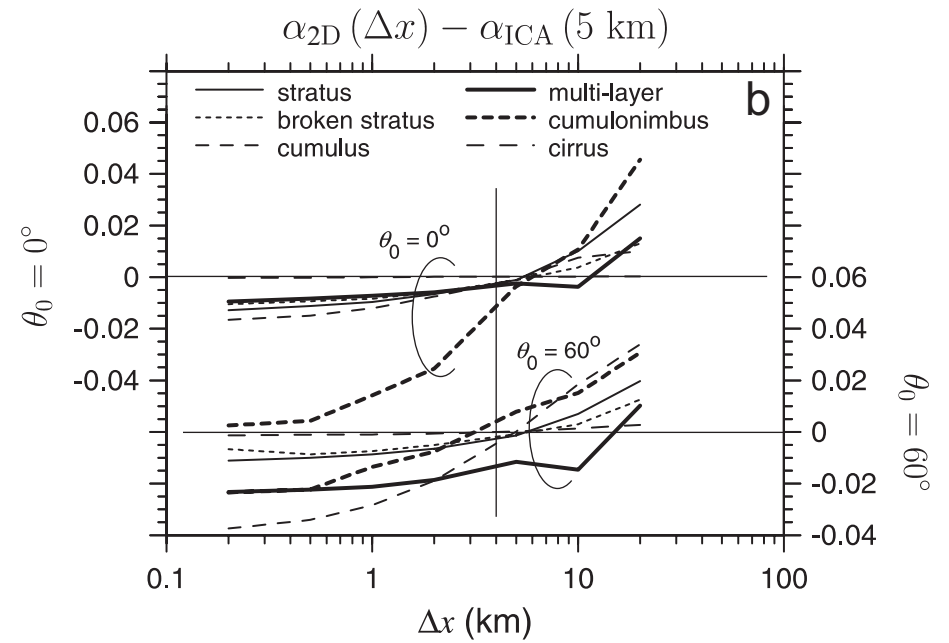
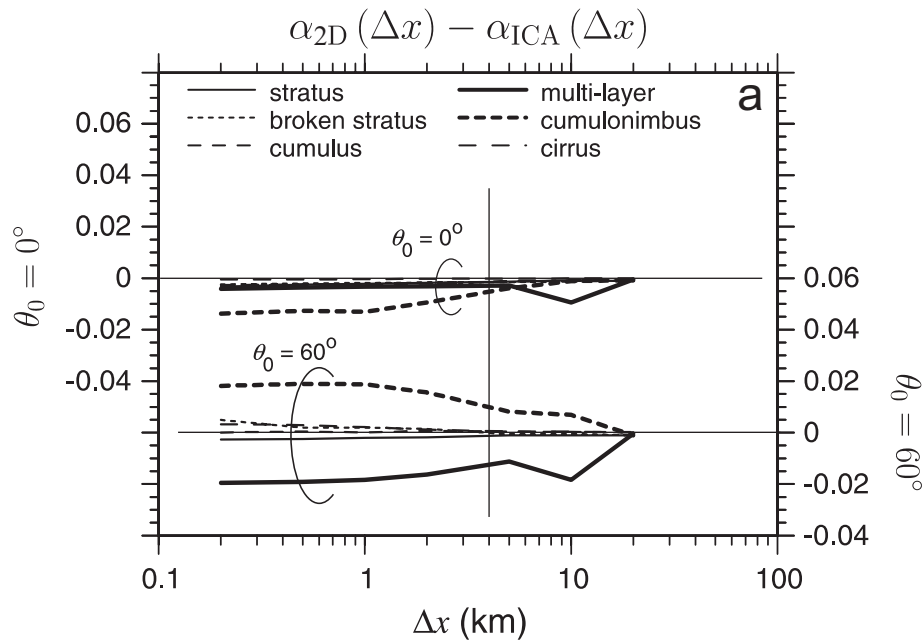


SW heating rate





How important are 3D effects at $x < 4$ km?



$$\frac{\partial \alpha_{2D}}{\partial \Delta x} \approx \frac{\partial \alpha_{ICA}}{\partial \Delta x}$$

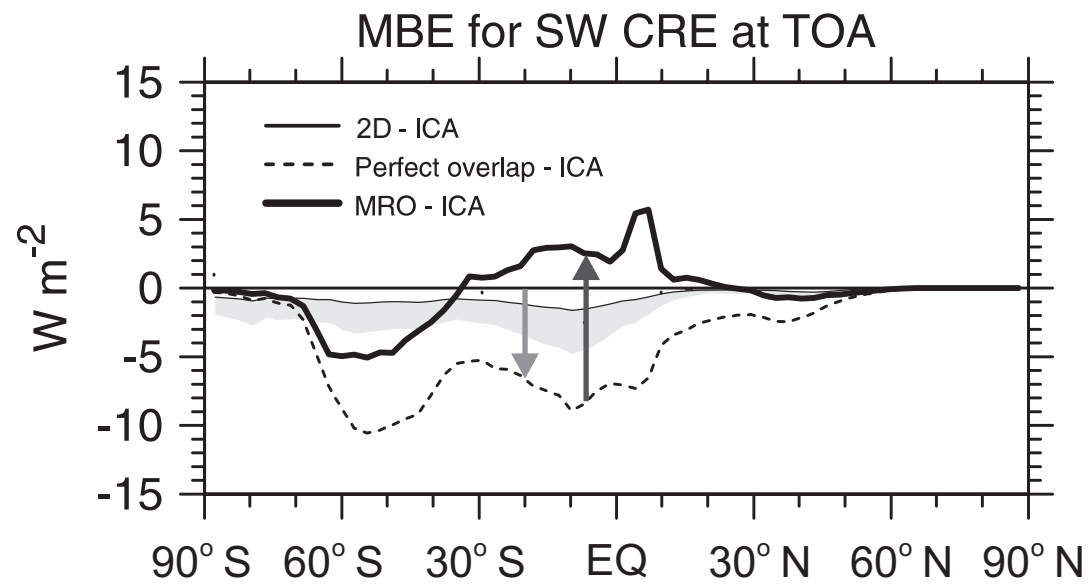
$$\frac{\partial \alpha_{ICA}}{\partial \Delta x} = \sum_{n=1}^{\infty} \frac{\partial \alpha_{ICA}}{\partial \langle \tau^n \rangle} \frac{\partial \langle \tau^n \rangle}{\partial \Delta x}$$

$$\frac{\partial \alpha_{2D}}{\partial \Delta x} = \sum_{n=1}^{\infty} \frac{\partial \alpha_{2D}}{\partial \langle \tau^n \rangle} \frac{\partial \langle \tau^n \rangle}{\partial \Delta x} + \frac{\partial \alpha_{2D}}{\partial \text{geometry}} \frac{\partial \text{geometry}}{\partial \Delta x}$$

for small x :

$$\frac{\partial \alpha_{2D}}{\partial \text{geometry}} \frac{\partial \text{geometry}}{\partial \Delta x} \approx 0$$

$$\left| \frac{\partial \alpha_{ICA}}{\partial \langle \tau^n \rangle} \right| \gtrsim \left| \frac{\partial \alpha_{2D}}{\partial \langle \tau^n \rangle} \right| \rightarrow 0$$



Some practical issues regarding 3D RT and climate modelling

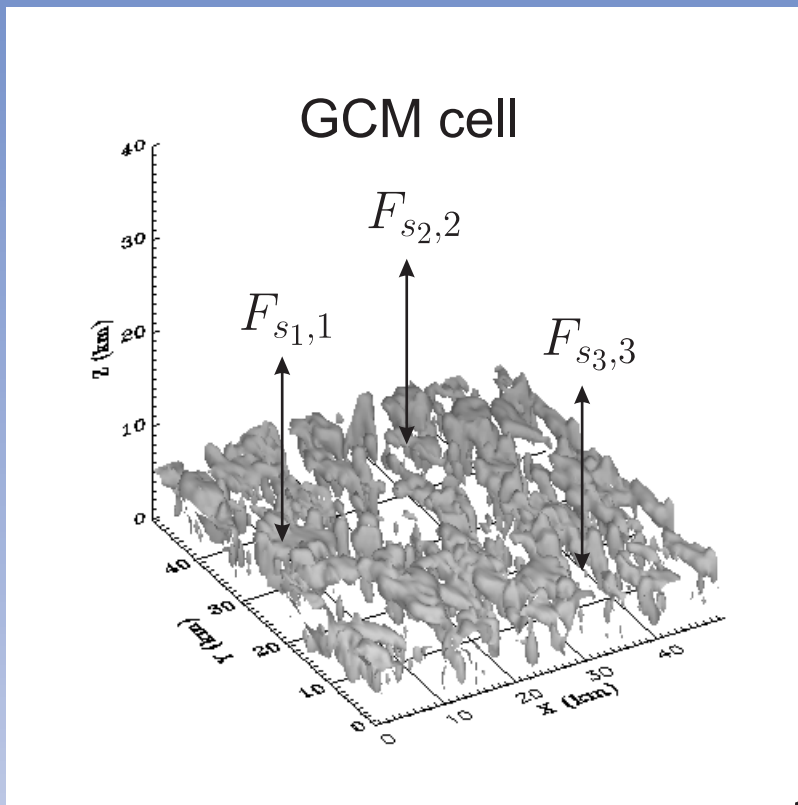
- Is it worth the effort of accounting for 3D effects in ^{conventional} GCMs?
 - $E(\text{McICA}) = E(\text{ICA})$ (+ controllable conditional ran. err.)
 - stochastic methods: feasible? how 3D are they?
 - $E(\text{stochastic}) \neq E(3\text{D})$ (+ uncontrollable ran. err.)
 - synthetic fields + 3D MC (10^6): feasible | justifiable?

Has anything been gained?

- 3D MC (10^6) in MMF?
 - good for domain averages, but... Cole et al. (2005)

How much has been gained?

The Monte Carlo Independent Column Approximation: A Stopgap Solution?



Independent Column Approximation:

$$\langle F \rangle = \frac{1}{\mathcal{N}} \sum_{n=1}^{\mathcal{N}} F_n \quad + \quad \mathcal{F}_n = \sum_{k=1}^{\mathcal{K}} F_{n,k}$$

ICA

CKD

$$\langle \mathcal{F} \rangle = \frac{1}{\mathcal{N}} \sum_{n=1}^{\mathcal{N}} \sum_{k=1}^{\mathcal{K}} F_{n,k}$$

BB - ICA

stochastic generation of unresolved cloud

$$\langle \mathcal{F} \rangle' = \sum_{k=1}^{\mathcal{K}} F_{s_k,k}$$



McICA

a complete separation of
optical characteristics
from the RT solver!

$$E(\langle \mathcal{F} \rangle') = \langle \mathcal{F} \rangle = \int \langle \mathcal{F} \rangle' p(\langle \mathcal{F} \rangle') d\langle \mathcal{F} \rangle'$$

$$\sigma^2 \geq 0 \quad \begin{matrix} \text{☠} & \text{☠} & \text{☠} \\ ? & ? & ? \end{matrix}$$

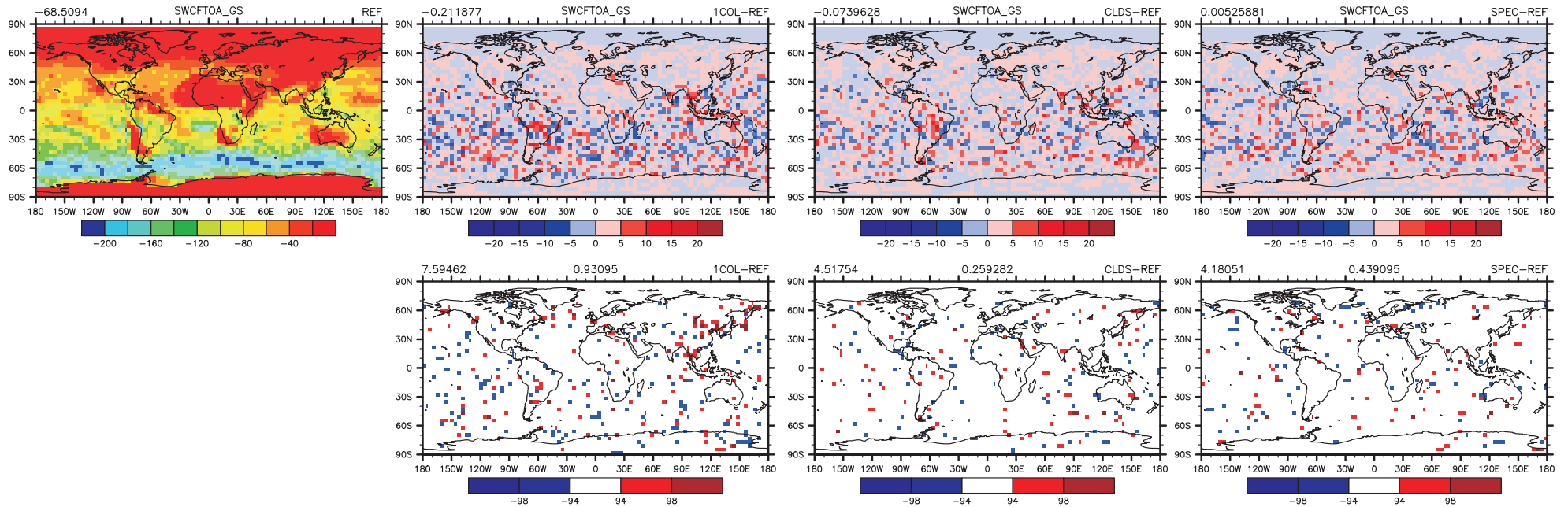
$$\sigma^2 \geq 0$$

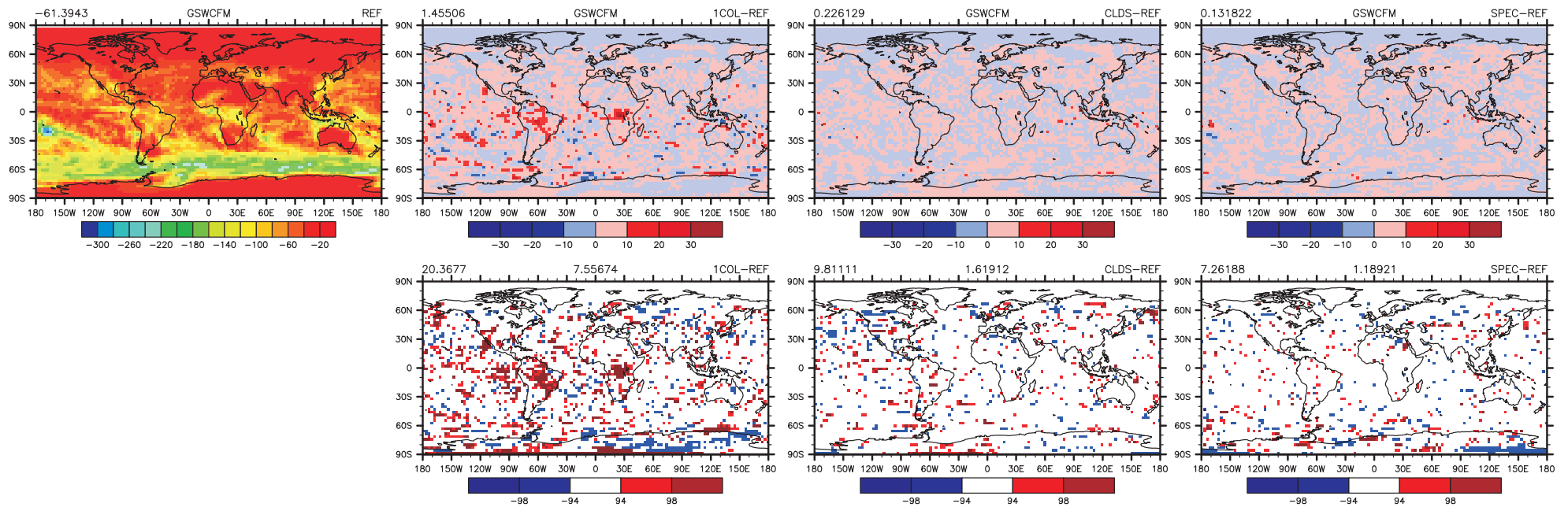
- funded by Atmospheric Radiation Measurement (ARM) Programme
 - fixed SSTs and sea ice
 - 15 day simulations ; 10-member ensembles
 - divergence(noise)
 - ~5 GCMs: CCC, GFDL, NCAR, ECMWF, ECHAM, (GEM, CSU)
 - ultimately multi-year with interactive ocean

SW CRE (TOA)

CCCma



CAM-3



Extending the McICA Method

- cloud microphysics:
 - ice crystal habit and size distribution
 - un(un)resolved variability:
 - x for ICA... Cairns et al.; Petty ; Marshak et al.
- lower boundary condition:
 - distribution of surface types (albedo, emissivity)

Multi-layer canopy as extension of the atmosphere

two-stream solution

Equations for atmospheres and clouds

$$+ \pi F \omega_0 (1 - \beta_0) e^{-\tau/\mu_0}, \quad (11) \quad \text{wh}$$

Two-stream methods are defined for present purposes as methods satisfying the simplified expressions

$$\frac{dI^-}{d\tau} = \gamma_1 I^+ - \gamma_2 I^- - \pi F \omega_0 \gamma_3 e^{-\tau/\mu_0}, \quad (12) \quad \text{obt}$$

$$\frac{dI^+}{d\tau} = \gamma_2 I^+ - \gamma_1 I^- + \pi F \omega_0 \gamma_4 e^{-\tau/\mu_0}, \quad (13) \quad \text{pro}$$

which are obtained from Eqs. (10) and (11) by assuming the μ dependence of I and approximating the integrals. The γ_i 's are determined by the approximations used and are independent of τ in all cases. As will be shown, their values are constrained by physical requirements; for example, the constraint $\gamma_3 = \gamma_4 = 1$ follows immediately from energy conservation.

res

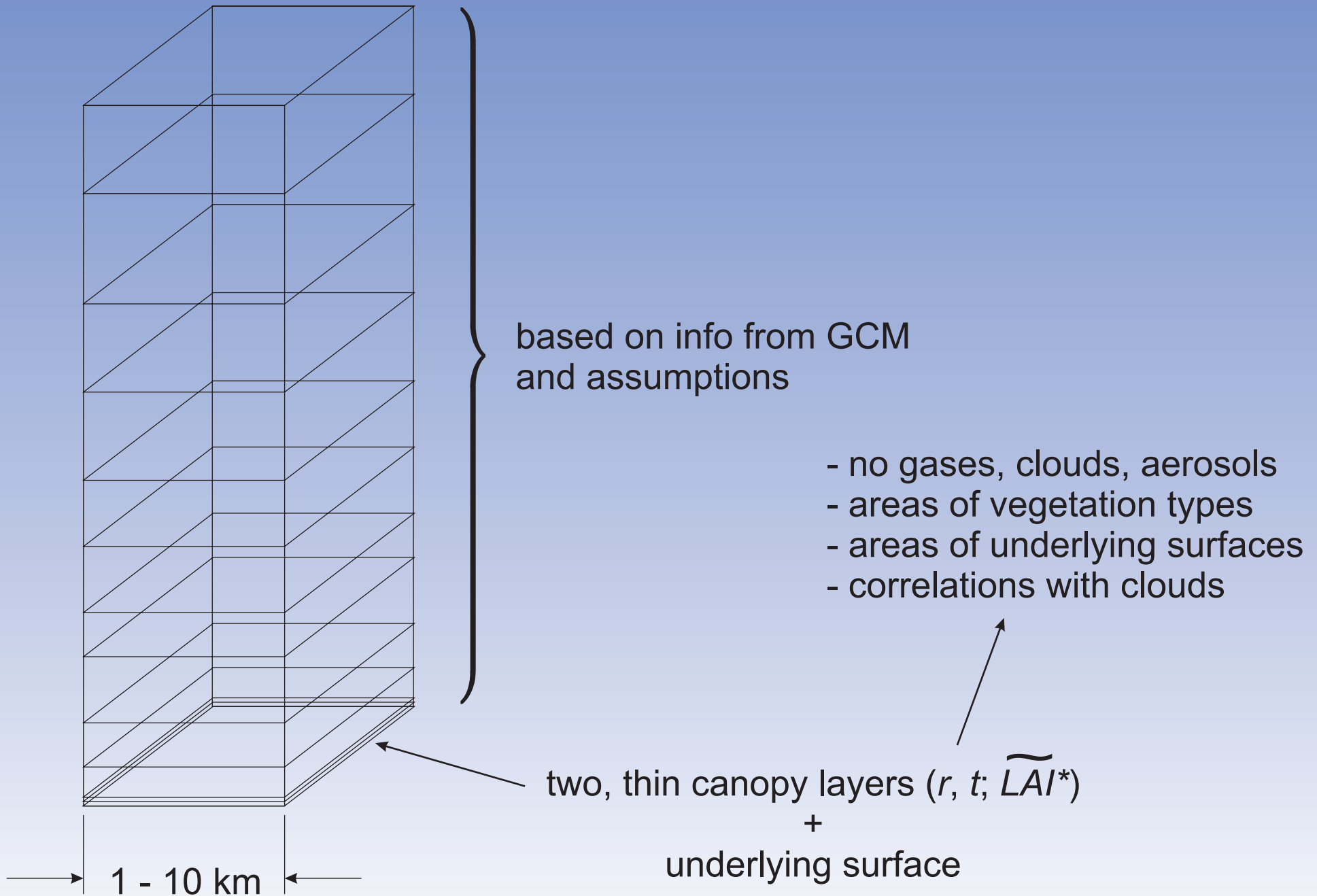
and

the ene: pro: also (11) met: defin not will

Equations for vegetation

$$\begin{aligned} \frac{dI^+}{d(\widetilde{LAI}/2)} &= \gamma_1 I^+ - \gamma_2 I^- - \pi F \gamma_3 \omega_l \exp(-\widetilde{LAI}/2\mu_0) \\ \frac{dI^-}{d(\widetilde{LAI}/2)} &= \gamma_2 I^+ - \gamma_1 I^- + \pi F \gamma_4 \omega_l \exp(-\widetilde{LAI}/2\mu_0) \end{aligned}$$

stochastically generated subcolumn



Summary

- **worth worrying about 3D (vs. ICA)?**
- **parametrize 3D RT in GCMs before MMF makes it explicit?**
- **MclCA noise experiments**
- **extensions to surface, ice habits, etc...**